

Properties of Water

Latent Heat of Vaporization = 970 Btu/lb

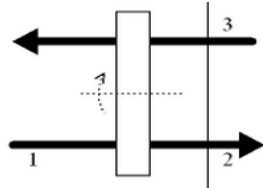
1 lb = 7,000 grains density = 62.4 lb/ft³

1 gallon = 8.3 lb 1 ft³ = 7.48 gallons

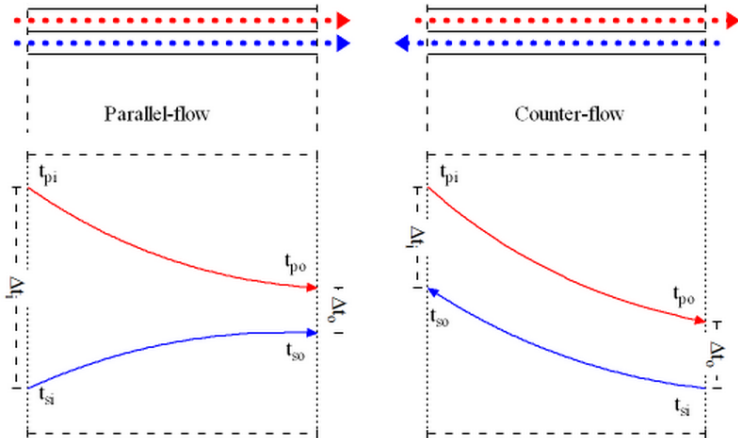
Heat Exchanger Calculations

Heat Wheel Effectiveness Calculation

$$\text{Efficiency} = (T_2 - T_1) / (T_3 - T_1)$$



LMTD – Log Mean Temperature Difference – Will be used in place of ΔT in nearly all heat exchanger calculations. $LMTD = (\Delta T_o - \Delta T_i) / \ln (\Delta T_o / \Delta T_i)$



Steam

$$P_{ABS} = P_{Gauge} + P_{ATM} = P_{Gauge} + 14.7\text{psi}$$

Compressor COP = $(h_1 - h_4) / (h_2 - h_1)$, where h_1 = entering compressor, h_2 = leaving compressor, h_3 = sat liq leaving condenser, h_4 = entering evap

*If using temp to calculate efficiency, use absolute temp

Quality of Steam (x) = % vapor in saturated steam as a % of the total mass

$$\text{Thermal Efficiency} = \frac{\text{Work Done (W)}}{\text{Energy In (Qin)}} = \frac{Qin - Qout}{Qin} \quad Qin = \text{Work} + \text{Wasted Energy}$$

Partial Pressure = P_{SAT} (from steam tables) at given temp * % RH, or find dewpoint from psych chart, then lookup P_{SAT} of that dewpoint in steam tables

Isentropic – Constant Entropy (steam expansion across a PRV is isentropic)

$$\text{Isentropic Efficiency} = (h_1 - h_2') / (h_1 - h_2)$$

where h_1 =entering h, h_2' =exiting h, h_2 =ideal exiting h (constant entropy)

$$S_{final} = S_f + (x)S_{fg} \quad h_{final} = h_f + (x)h_{fg} \quad \text{where } x = \text{quality of steam}$$

Fluids

Kinematic Viscosity (v) = $\mu g / \rho$, where μ =absolute viscosity, g =gravity (32.2 ft/sec²), ρ =density (62.4 lb/ft³)

Reynolds Number (R_c) = $VD/v = Dg/\mu$, where V =Velocity (ft/sec), D =Diameter (ft), v =Kinematic Viscosity (ft²/sec)

$$PV = nRT \xrightarrow{\text{yields}} \rho = P/RT \xrightarrow{\text{yields}} V = mRT/P \xrightarrow{\text{yields}} P = \rho R_{\text{Specific}} T, \text{ where } R_{\text{Specific}} = \text{specific gas constant and } T \text{ is in absolute temperature (}^\circ\text{R for US, }^\circ\text{K for SI)}$$

$$\text{Mach \#} = \frac{v}{\sqrt{kgRT/MW}} \quad \text{where } k = \text{spec heat \& } T \text{ is in } ^\circ\text{R} (k_{\text{Air}} = 1.4, R_{\text{Air}} = 1545)$$

Fluids / Pipe Friction / Darcy Equation

$$hf = \frac{fLV^2}{2Dg} \quad \text{where } hf = \text{friction head loss, } f = \text{Darcy Friction Factor, } L = \text{Length of Pipe (ft),}$$

V =Velocity (ft/sec), D =inner Diameter (ft), g =gravity

$$\Delta P = f \frac{L}{D} \rho \frac{V^2}{2g}$$

Net Positive Suction Head (NPSH) Available = $h_p + h_z - h_{vpa} - h_f$, where

h_p =atmospheric pressure, h_z =static pressure, h_{vpa} =vapor pressure, h_f =friction loss

Mechanics/Dynamics/Materials

AISI 1020 -The first digit indicates that this is plain carbon steel.
 -the second digit indicates there are no alloying elements
 -the last 2 digits indicate that the steel contains approximately 20% carbon

Kinetic Energy (E) = $mv^2/2g_c$ Potential Energy (E) = mgz/g_c where z = elevation

$$mz = \frac{mV^2}{2g} \rightarrow gz = \frac{V^2}{2}$$

Torque = KE/Radians (1 Revolution = $360^\circ = 2\pi$ Radians)

Springs

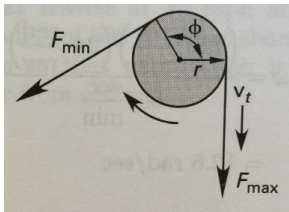
$$K = \frac{d^4 G}{8 D^3 N}$$

d = wire diameter
 D = spring diameter
 N = number of active coils
 G = shear modulus
 K = spring constant

F = kX where k=spring const. & X=compression

Stored Energy in a Spring (E_s) = $\frac{1}{2} kX^2$

If mass m is dropped from height z, $mg(z + x) = \frac{kX^2}{2}$



$$T = (F_{max} - F_{min})r$$

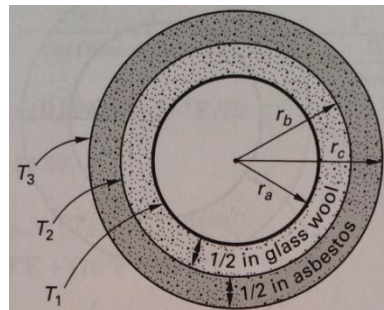
where
 T = Torque &
 phi is in Radians

$$\frac{F_{max}}{F_{min}} = e^{f\phi}$$

Thermodynamics

Heat Transfer through Pipe

$$\frac{Q}{L} = \frac{2\pi(T_1 - T_3)}{\frac{\ln \frac{r_b}{r_a}}{k_{glass\ wool}} + \frac{\ln \frac{r_c}{r_b}}{k_{asbestos}}}$$



Sensible Heat Ratio (SHR) = ratio of sensible load to total load = slope of the line on a psych chart = $q_s/q_t = q_s/(q_s+q_l)$

$$\text{Conductive Heat Transfer (Btu/hr)} = UA\Delta T = \frac{A*\Delta T}{R} = \frac{k*A*\Delta T}{L}$$

*cooling calcs should use CLTD in place of ΔT to account for solar gain.

Conductive R = L/k where k=conductivity

Convective R = 1/hk where h=convection coefficient $Q = \frac{\Delta T}{R_{total}}$

Thermal Resistance for series construction - $\frac{1}{R_{total}} = \frac{1}{R_1} + \frac{1}{R_2} + \frac{1}{R_3} + \dots$

Solar Heat Gain = A * SC * SCL = A * SHGF where SC=Shading Coefficient, SCL=Solar Cooling Load Factor, SHGF=Solar Heat Gain Factor

Total heat gain through windows = UA ΔT where ΔT is real, not CLTD

Cold Storage Heat Gain from People = 1295 - 11.5*T, where T is in $^\circ F$

Engineering Economics

Multiply the given by the Formula on the right column.

Factor Name	Converts	Symbol	Formula
Single Payment Compound Amount	to F given P	(F/P, i%, n)	$(1+i)^n$
Single Payment Present Worth	to P given F	(P/F, i%, n)	$(1+i)^{-n}$
Uniform Series Sinking Fund	to A given F	(A/F, i%, n)	$\frac{i}{(1+i)^n - 1}$
Capital Recovery	to A given P	(A/P, i%, n)	$\frac{i(1+i)^n}{(1+i)^n - 1}$
Uniform Series Compound Amount	to F given A	(F/A, i%, n)	$\frac{(1+i)^n - 1}{i}$
Uniform Series Present Worth	to P given A	(P/A, i%, n)	$\frac{(1+i)^n - 1}{i(1+i)^n}$
Uniform Gradient ** Present Worth	to P given G	(P/G, i%, n)	$\frac{(1+i)^n - 1}{i^2(1+i)^n} - \frac{n}{i(1+i)^n}$
Uniform Gradient † Future Worth	to F given G	(F/G, i%, n)	$\frac{(1+i)^n - 1}{i^2} - \frac{n}{i}$
Uniform Gradient ‡ Uniform Series	to A given G	(A/G, i%, n)	$\frac{1}{i} - \frac{n}{(1+i)^n - 1}$

A=Annualized, P=Present Value, F=Final Value, G=Uniform Gradient amount, i=interest rate, n=time